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**Q1. Which of the following step / assumption in regression modeling impacts the trade-off between under-fitting and over-fitting the most.**

- A. The polynomial degree
- B. Whether we learn the weights by matrix inversion or gradient descent
- C. The use of a constant-term

**Solution: A**

Choosing the right degree of polynomial plays a critical role in fit of regression. If we choose higher degree of polynomial, chances of overfit increase significantly.

**Q5. In a linear regression problem, we are using “R-squared” to measure goodness-of-fit. We add a feature in linear regression model and retrain the same model.**

**Which of the following option is true?**

- A. If R Squared increases, this variable is significant.
- B. If R Squared decreases, this variable is not significant.
- C. Individually R squared cannot tell about variable importance. We can't say anything about it right now.
- D. None of these.

**Solution: C**

“R squared” individually can't tell whether a variable is significant or not because each time when we add a feature, “R squared” can either increase or stay constant. But, it is not true in case of “Adjusted R squared” (increases when features found to be significant).

**Q6. Which one of the statement is true regarding residuals in regression analysis?**

- A. Mean of residuals is always zero
- B. Mean of residuals is always less than zero
- C. Mean of residuals is always greater than zero
- D. There is no such rule for residuals.

**Solution: A**

Sum of residual in regression is always zero. If the sum of residuals is zero, the 'Mean' will also be zero.

**Q7. Which of the one is true about Heteroskedasticity?**

- A. Linear Regression with varying error terms
- B. Linear Regression with constant error terms
- C. Linear Regression with zero error terms
- D. None of these

**Solution: A**

The presence of non-constant variance in the error terms results in heteroskedasticity. Generally, non-constant variance arises because of presence of outliers or extreme leverage values.

**Q8. Which of the following indicates a fairly strong relationship between X and Y?**

- A. Correlation coefficient = 0.9
- B. The p-value for the null hypothesis Beta coefficient =0 is 0.0001
- C. The t-statistic for the null hypothesis Beta coefficient=0 is 30
- D. None of these

**Solution: A**

Correlation between variables is 0.9. It signifies that the relationship between variables is fairly strong.

On the other hand, p-value and t-statistics merely measure how strong is the evidence that there is non zero association. Even a weak effect can be extremely significant given enough data.

**Q9. Which of the following assumptions do we make while deriving linear regression parameters?**

1. The true relationship between dependent y and predictor x is linear
2. The model errors are statistically independent

3. **The errors are normally distributed with a 0 mean and constant standard deviation**
4. **The predictor  $x$  is non-stochastic and is measured error-free**

- A. 1,2 and 3.
- B. 1,3 and 4.
- C. 1 and 3.
- D. All of above.

**Solution: D**

When deriving regression parameters, we make all the four assumptions mentioned above. If any of the assumptions is violated, the model would be misleading.

**Q10. To test linear relationship of  $y$ (dependent) and  $x$ (independent) continuous variables, which of the following plot best suited?**

- A. Scatter plot
- B. Barchart
- C. Histograms
- D. None of these

**Solution: A**

To test the linear relationship between continuous variables Scatter plot is a good option. We can find out how one variable is changing w.r.t. another variable. A scatter plot displays the relationship between two quantitative variables.