## Dr.G.R.Damodaran College of Science

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I BSc(Computer Science)[2017-2020]
Semester - II
Allied:DISCRETE MATHEMATICS - 207D
Multiple Choice Questions.

1. If there are n distinct components in a statement then there are $\qquad$ combinations of values in the truth table.
A. $2^{\wedge} n$
B. $\mathrm{n}+1$
C. n
D. $\mathrm{n}+2$

ANSWER: A
2. If $P$ then $Q$ is called $\qquad$ statement
A. Conjunction
B. disjunction
C. conditional
D. bi conditional

ANSWER: C
3. ( $\mathrm{P}->\mathrm{Q}$ )-> $(\wedge \mathrm{Q})$ is $\qquad$ .
A. not a well formed formula
B. tautology
C. contradiction
D. well formed formula

ANSWER: A
4. A relation $R$ in a set $X$ is symmetric if $\qquad$ .
A. $x R y, y R z=x R z$.
B. $x R y$
C. $x R y=>y R x$
D. $x R x$

ANSWER: C
5. If a relation is reflexive, then all the diagonal entries in the relation matrix must be $\qquad$ .
A. 0
B. 1
C. 2
D. -1

## ANSWER: B

6. If $R$ is reflexive, symmetric and transitive then the relation is said to be $\qquad$ .
A. Binary relation
B. Compatibility relation
C. Equivalence relation
D. Partial order relation

ANSWER: C
7. $S$-> aAB, AB -> bB, B -> b, A -> aB satisfies $\qquad$ type of grammar
A. 0
B. 1
C. 0,1
D. 2

ANSWER: C
8. If there are more than 2 LMD for a string then it is said to be $\qquad$ .
A. Ambigious
B. unambigious
C. language
D. finite state automata

ANSWER: A
9. A finite non-empty set of symbols is called $\qquad$ .
A. alphabet
B. letter
C. string
D. language

ANSWER: A
10. The specification of proper construction of a sentence is called $\qquad$ .
A. alphabet
B. letter
C. syntax
D. word

ANSWER: C
11. Context free grammar is also known as $\qquad$ grammar.
A. type 0
B. type 1
C. type 2
D. type 3

ANSWER: C
12. A class of machine which accepts a $\qquad$ language is called finite state automata.
A. type 0
B. type 1
C. type 2
D. type 3

ANSWER: D
13. Accepting states are denoted by $\qquad$ .
A. circle
B. an arrow mark
C. double circle
D. straight line

ANSWER: C
14. For converting NDFA to DFA we should $\qquad$ all the states which have no incoming.
A. add
B. subtract
C. multiply
D. delete

ANSWER: D
15. The set of all finite words over E is denoted by $\qquad$ _.
A. E+
B. $\mathrm{E}^{*}$
C. E
D. E-

ANSWER: A
16. Surjective function is also called $\qquad$ .
A. onto
B. into
C. one to one
D. one one onto

ANSWER: A
17. One to one onto function is also called $\qquad$ .
A. bijective
B. injective
C. surjective
D. composite function

ANSWER: A
18. The composition of function is associative but not $\qquad$ .
A. commutative
B. associative
C. distributive
D. idempotent

ANSWER: A
19. A mapping $x$ into itself is called $\qquad$ .
A. reflexive
B. symmetric
C. transitive
D. equivalence

ANSWER: A
20. The duality law of $\left(\mathrm{P}^{\wedge} \mathrm{Q}\right) \mathrm{vT}$ is $\qquad$ .
A. $\left(\mathrm{P}^{\wedge} \mathrm{Q}\right)^{\wedge} \mathrm{T}$
B. $(\mathrm{PvQ})^{\wedge} \mathrm{T}$
C. $(\mathrm{PvQ}) \mathrm{vF}$
D. $(\mathrm{PvQ})^{\wedge} \mathrm{F}$

ANSWER: D
21. A sum of the variables and their negations in a formula is called $\qquad$ .
A. elementary sum
B. elementary product
C. cnf
D. $\operatorname{dnf}$

ANSWER: A
22. A premise may be introduced at any point in the derivation is called $\qquad$ .
A. Rule P
B. Rule P and Rule T
C. Rule T
D. Rule CP

ANSWER: A
23. A product of the variables and their negations in a formula is called $\qquad$ .
A. elementary product
B. elementary sum
C. cnf
D. $\operatorname{dnf}$

ANSWER: A
24. Min-terms of two statements are formed by introducing the connective $\qquad$ .
A. Conjunction
B. disjunction
C. Conditional
D. negation

ANSWER: A
25. Any vertex having degree one is called $\qquad$ .
A. Simple vertex
B. pendent vertex
C. regular vertex
D. complete vertex

ANSWER: B
26. A graph that has neither self loops nor parallel edges is called $\qquad$ graph.
A. regular
B. simple
C. complete
D. null

ANSWER: B
27. A graph in which every vertex has same degree is called $\qquad$ graph.
A. regular
B. simple
C. complete
D. null

ANSWER: A
28. Kn denotes $\qquad$ graph.
A. regular
B. simple
C. complete
D. null

ANSWER: C
29. The number of vertices of odd degree in a graph is always $\qquad$ .
A. odd
B. even
C. zero
D. one

ANSWER: B
30. A path of a graph is said to be $\qquad$ if it contains all the edges of the graph.
A. eulerian
B. hamiltonian
C. tournament
D. planar

ANSWER: A
31. Traveling salesman problem is example for $\qquad$ graph.
A. eulerian
B. hamiltonian
C. tournament
D. planar

ANSWER: B
32. If a node $v$ is reachable from node $u$ then the path of minimum length $u$ to $v$ is called $\qquad$ .
A. reachability
B. node base
C. geodesic
D. accessibility

ANSWER: C
33. The eccentricity of a center in a tree is defined as $\qquad$ of the tree.
A. radius
B. diameter
C. length
D. path

ANSWER: A
34. P -> $\mathrm{Q}, \mathrm{Q}$->R then $\qquad$ .
A. P -> R
B. $R->P$
C. Q
D. R

ANSWER: A
35. If a normal form contains all minterms, then it is $\qquad$ .
A. a tautology
B. a contradiction
C. a contingency
D. both a and b

ANSWER: A
36. PCNF is also called $\qquad$ .
A. sum of product canonical form.
B. product of sum canonical form
C. sum canonical form
D. product canonical form

ANSWER: B
37. PDNF is also called $\qquad$
A. sum of product canonical form
B. product of sum canonical form
C. sum canonical form
D. product canonical form

ANSWER: A
38. Max-terms of two statements are formed by introducing the connective $\qquad$ .
A. disjunction
B. conjunction
C. negation
D. conditional

ANSWER: A
39. The Subset relation on a set of sets is $\qquad$ .
A. partial ordering
B. equivalence relation
C. reflexive and symmetric only
D. symmetric and transitive only

ANSWER: A
40. A relation $R$ is defined on the set of integers as $x R y$ if and only if $(x+y)$ is even. Which of the following statement is TRUE?
A. R is not an equivalence relation.
B. $R$ is an equivalence relation having one equivalence classes
C. $R$ is an equivalence relation having two equivalence classes
D. R is an equivalence relation having three equivalence classes

ANSWER: C
41. If $\mathrm{R}=\{(1, \mathrm{y}),(1, \mathrm{z}),(3, \mathrm{y})\}$ then R power $(-1)=$ $\qquad$ .
A. $\{(1, a),(y, z)\}$
B. $\{(\mathrm{y}, 1),(\mathrm{z}, 1),(\mathrm{y}, 3)\}$
C. $\{(\mathrm{y}, \mathrm{a}),(1, \mathrm{z}),(3, \mathrm{y})\}$
D. $\{(\mathrm{y}, \mathrm{a}),(\mathrm{z}, \mathrm{a}),(3, \mathrm{y})\}$

ANSWER: B
42. Let $\mathrm{R}=\{(\mathrm{a}, \mathrm{b}),(\mathrm{c}, \mathrm{d}),(\mathrm{b}, \mathrm{b})\}, \mathrm{S}=\{(\mathrm{d}, \mathrm{b}),(\mathrm{c}, \mathrm{b}),(\mathrm{a}, \mathrm{d})\}$ then R composite $\mathrm{S}=$ $\qquad$
A. $\{(\mathrm{a}, \mathrm{e}),(\mathrm{c}, \mathrm{b}),(\mathrm{b}, \mathrm{e})\}$
B. $\{(\mathrm{d}, \mathrm{b}),(\mathrm{c}, \mathrm{b}),(\mathrm{a}, \mathrm{d})\}$
C. $\{(\mathrm{a}, \mathrm{b}),(\mathrm{b}, \mathrm{b})\}$
D. $\{(\mathrm{c}, \mathrm{b})\}$

ANSWER: D
43. Let $R$ and $S$ be two relations on a set of positive integers I. If $R=\{(a, 3 a+a)\}, S=\{(a, a+a)\}$ then $R$ composition R composition $\mathrm{R}=$ $\qquad$ .
A. $\{(a, 3 a+a)\}$
B. $\{(a, 9 a+a)\}$
C. $\{(a, 27 a+a)\}$
D. $\{(a, 9 a+c)\}$

ANSWER: C
44. The number of relations from $A=\{a, b, c\}$ to $B=\{1,2\}$ are $\qquad$ .
A. 6
B. 8
C. 32
D. 64

ANSWER: D
45. The minimum number of edges in a connected graph with $n$ vertices is $\qquad$ .
A. $n$
B. $\mathrm{n}-1$
C. $\mathrm{n}+1$
D. $\mathrm{n}+2$

ANSWER: B
46. The number of distinct simple graphs with up to three nodes is $\qquad$ .
A. 7
B. 9
C. 15
D. 25

ANSWER: A
47. A graph is planar if and only if it does not contain $\qquad$ .
A. subgraphs homeomorphic to $\mathrm{k} 3 \& \mathrm{k} 3,3$
B. subgraphs isomorphic to k 5 or $\mathrm{k} 3,3$
C. subgraphs isomorphic to $\mathrm{k} 3 \& \mathrm{k} 3,3$
D. sub graphs homeomorphic to k 5 or $\mathrm{k} 3,3$

ANSWER: D
48. Maximum number of edges in an n-node undirected graph without self loops is $\qquad$ .
A. $[n(n-a)] / 2$
B. $\mathrm{n}-1$
C. $n$
D. $[\mathrm{n}(\mathrm{n}+\mathrm{a})] / 2$

ANSWER: A
49. Number of distinct nodes in any elementary path of length $p$ is $\qquad$ .
A. p
B. $\mathrm{p}-1$
C. $\mathrm{p}+1$
D. $\mathrm{p}^{*} 1$

ANSWER: C
50. The total number of edges in a complete graph of $n$ vertices is $\qquad$ .
A. $n$
B. $n / 2$
C. $[n(n-a)] / 3$
D. $[n(n-a)] / 2$

ANSWER: D
51. A directed complete graph of $n$ vertices contains $\qquad$ .
A. one arrow between each pair of distinct vertices
B. two arrows between each pair of distinct vertices
C. $\mathrm{n}-1$ arrows between each pair of distinct vertices
D. path between every two distinct vertices

ANSWER: A
52. A directed graph $G=(V, E)$ is said to be finite if its $\qquad$ .
A. set V of vertices is finite
B. set V of vertices \& set E of edges are finite
C. set E of edges are finite
D. no vertices \& edges are repeated

ANSWER: A
53. A state from which a deterministic finite state automata can never come out is called a $\qquad$ .
A. trape state
B. starting symbol
C. transition table
D. transition diagram

ANSWER: A
54. If a compound statement is made up of three simple statements then the number of rows in the truth table is $\qquad$ .
A. 2
B. 4
C. 6
D. 8

ANSWER: D
55. Let $\mathrm{R}=\{(3,3),(6,6),(9,9),(12,12),(3,6),(6,3),(3,9),(9,3),(9,12),(12,9)\}$ be a relation on the set A $=\{3,6,9,12\}$. The relation is $\qquad$
A. reflexive and transitive
B. reflexive and symmetric
C. symmetric and transitive
D. equivalence relation

ANSWER: D
56. Let $\mathrm{R}=\{(1, \mathrm{~b}),(3, \mathrm{~d}),(2, \mathrm{~b})\}$ and $\mathrm{S}=\{(\mathrm{b}, 4),(2,5),(\mathrm{d}, \mathrm{a})\}$ be a relation then R composition $\mathrm{S}=$ $\qquad$ .
A. $\{(1, \mathrm{~b}),(3, \mathrm{~d}),(2, \mathrm{~b})\}$
B. $\{(1,4),(3, a),(2,4)\}$
C. $\{(4, \mathrm{~b}),(2,5),(3, \mathrm{a})\}$
D. $\{(1, \mathrm{~d}),(3, \mathrm{~b}),(2, \mathrm{c})\}$

ANSWER: B
57. If $R=\{(x, 2 x)\}$ and $S=\{(x, 4 x)\}$ then $R$ composition $S=$ $\qquad$ .
A. $\{(\mathrm{x}, 4 \mathrm{x})\}$
B. $\{(\mathrm{x}, 2 \mathrm{x})\}$
C. $\{(\mathrm{x}, 8 \mathrm{x})\}$
D. $\{(\mathrm{x}, 10 \mathrm{x})\}$

ANSWER: C
58. If $R=\{(x, 2 x)\}$ and $S=\{(x, 5 x)\}$ then $R$ composition $S=$ $\qquad$ .
A. $\{(\mathrm{x}, 4 \mathrm{x})\}$
B. $\{(\mathrm{x}, 2 \mathrm{x})\}$
C. $\{(\mathrm{x}, 8 \mathrm{x})\}$
D. $\{(\mathrm{x}, 10 \mathrm{x})\}$

ANSWER: D
59. A regular grammar contains rules of the form $\qquad$ .
A. A tends to AB
B. $A B$ tends to a
C. A tends to aB
D. $A B$ tends to $C D$

ANSWER: C
60. A type-2 grammar contains the rules of the form is $\qquad$ -
A. a tends to $A B$
B. AaB tends to a
C. A tends to aBC
D. $A B$ tends to $C D$

ANSWER: C
61. Let $\mathrm{R}=\{(1,3),(4,2),(2,2),(3,3),(1,1),(4,4)\}$ be a relation on the set $\mathrm{A}=\{1,2,3,4\}$. The relation R is
$\qquad$ .
A. transitive
B. reflexive
C. not symmetric
D. function

ANSWER: C
62. The NAND statement is a combination of $\qquad$ .
A. NOT and AND
B. NOT and OR
C. AND and OR
D. NOT or OR

ANSWER: A
63. The NOR statement is a combination of $\qquad$ .
A. NOT and AND
B. NOT and OR
C. AND and OR
D. NOT or OR

ANSWER: B
64. If a relation is reflexive then in the graph of a relation there must be a loop at $\qquad$ .
A. each node
B. only first node
C. any two nodes
D. only first and last nodes

ANSWER: A
65. Which of the following traversal techniques lists the nodes of binary search in ascending order?
A. pre order
B. post order
C. in order
D. root order

ANSWER: C
66. The grammar $\mathrm{G}=\{\{\mathrm{S}\},\{0,1\}, \mathrm{P}, \mathrm{S}\}\}$ where $\mathrm{P}=\{\mathrm{S}$ tends to $0 \mathrm{~S} 1, \mathrm{~S}$ tends to S 1$\}$ is a $\qquad$ .
A. recursively enumerable grammar.
B. regular grammar
C. context sensitive grammar
D. context free grammar

ANSWER: D
67. Which of the following regular expressions identifiers are true?
A. $\left(\mathrm{r}^{*}\right)^{*}=\mathrm{r}$
B. $(\mathrm{r}+\mathrm{s})^{*}=\mathrm{r}^{*} . \mathrm{s}^{*}$
C. $r^{*} . s^{*}=r^{*}+s^{*}$
D. $(\mathrm{r} . \mathrm{s})^{*}=\mathrm{r}^{*} / \mathrm{s}^{*}$

ANSWER: A
68. In a grammar or language LAMDA is used to denote $\qquad$ .
A. empty word
B. entire set
C. set of words
D. set of letters

ANSWER: A
69. The number of letters in a word is called $\qquad$ .
A. length
B. string
C. syntax
D. alphabet

ANSWER: A
70. If $r$ is a regular expression then $r^{*}$ is a $\qquad$ expression.
A. regular
B. irregular
C. isomorphic
D. homomorphic

ANSWER: A
71. An example for regular grammar is $\qquad$ .
A. S tends to Ab
B. $A B$ tends to $S A B$
C. $S$ tends to $a B$
D. $S$ tends to aBB

ANSWER: C
72. If all the productions have single non-terminal in the left hand side then the grammar defined is grammar.
A. context free
B. context sensitive
C. regular
D. phrase structure

ANSWER: A
73. In Backus Naur Form the symbol:: $=$ is used instead of $\qquad$ .
A. $\}$
B. tends to
C. 〈>
D. \$

ANSWER: B
74. Any subset $L$ of $A^{*}$ is called $\qquad$ over A.
A. Language
B. Syntax
C. Alphabet
D. Word

ANSWER: A
75. Let $S$ be a start symbol and $S$-> aA, A -> BA, A -> a, B -> b be the productions in a grammar then one of the string derived form the grammar is $\qquad$ .
A. baba
B. bbaa
C. abba
D. aabb

ANSWER: C
76. If $S$ is a start symbol and $S->A B, A->a B, B->b$ are the productions then a string generated by the grammar is $\qquad$ .
A. baa
B. aba
C. abb
D. bab

ANSWER: C
77. In FSA ,the notation for $M$ being in state $S 0$, reading the input symbol a, moving one cell right and reaching the state S 1 is given by $\qquad$ .
A. $f(\mathrm{Si}, \mathrm{x})=\mathrm{Sj}$
B. $f(S 0, a)=S 1$
C. $f(\mathrm{Si}, \mathrm{a})=\mathrm{Sj}$
D. $\mathrm{f}(\mathrm{S} 0, \mathrm{x})=\mathrm{S} 1$

ANSWER: B
78. If "S -> aS, S -> a" are the productions in a grammar G , then the grammar is called $\qquad$ .
A. regular grammar
B. phrase structure grammar
C. context free grammar
D. context sensitive grammar

ANSWER: A
79. The rank of the incidence matrix of any connected graph $G$ with $n$ vertices is $\qquad$ .
A. n
B. $\mathrm{n}+1$
C. $\mathrm{n}-1$
D. $\mathrm{n}-2$

ANSWER: C
80. The number of 1's in each row of an incidence matrix of a graph $G$ is equal to $\qquad$ .
A. the degree of the corresponding vertices
B. the sum of degrees of all vertices
C. the degree of the initial vertex
D. the degree of the terminal vertex

ANSWER: A
81. Each column of an incidence matrix of a graph G has exactly $\qquad$ .
A. one 1's
B. two 1 's
C. one 2 's
D. two 2's

ANSWER: B
82. An undirected graph is tripartite if and only if it has no circuits of $\qquad$ lengths
A. odd
B. even
C. distinct
D. equal

ANSWER: A
83. A graph is bipartite if and only if its chromatic number is $\qquad$ .
A. 1
B. 2
C. odd
D. even

ANSWER: B
84. G is strongly connected implies $\qquad$ .
A. $G$ is unilaterally connected.
B. $G$ is bilaterally connected
C. G is unilaterally connected
D. G has more than one component

ANSWER: A
85. The number of pendant vertices in a full binary tree with n vertices is $\qquad$ .
A. $(\mathrm{n}-\mathrm{a}) / 2$
B. $(\mathrm{n}-1) / 2$
C. $(\mathrm{n}+\mathrm{a}) / 2$
D. $n / 2$

ANSWER: C
86. The number of vertices in a full binary tree is $\qquad$ .
A. odd
B. even
C. equal
D. 0

ANSWER: A
87. A binary tree with 2 k vertices of level k has at least $\qquad$ vertices.
A. 2 power $k$
B. 2 power ( $\mathrm{k}-1$ )
C. 2 power (k-1)-1)
D. 2 power $(k+1)-1$

ANSWER: D
88. For a symmetric digraph, the adjacency matrix is $\qquad$ .
A. symmetric
B. antisymmetric
C. asymmetric
D. symmetric and asymmetric

ANSWER: A
89. The diagonal entries of $\mathrm{A}^{\wedge} \mathrm{T}$ where A is the adjacency matrix are the $\qquad$ .
A. outdegrees of the node
B. indegrees of the nodes
C. unit degree of the nodes
D. in \& out degrees of the nodes

ANSWER: A
90. DFSA and NDFSA represent the $\qquad$ language.
A. regular
B. context free
C. context sensitive
D. phrase structure

ANSWER: A
91. The chromatic number of the chess board is $\qquad$ .
A. 1
B. 2
C. 3
D. 4

ANSWER: B
92. The total number of degrees of an isolated node is $\qquad$ .
A. 0
B. 1
C. 2
D. 3

ANSWER: A
93. If G is a connected planar graph then it has a vertex of degree $\qquad$ .
A. 3 or less
B. 4 or less
C. 5 or less
94. A product of the variable and their negation in a formula is called $\qquad$ .
A. an elementary sum
B. an elementary product
C. a well-formed formula
D. an equivalence of relation formula

ANSWER: B
95. A formula consisting of disjunctions of min-terms is called $\qquad$ .
A. DNF
B. CNF
C. PDNF
D. PCNF

ANSWER: C
96. The less than relation < on real is $\qquad$ .
A. a partial ordering since it is asymmetric and reflexive
B. a partial ordering since it is anti-symmetric and reflexive
C. not a partial ordering since it is not asymmetric and not reflexive
D. not a partial ordering since it is not anti-symmetric and not reflexive

ANSWER: D
97. A relation R in X is said to be a $\qquad$ , if it is reflexive and symmetric.
A. void relation
B. circular
C. partial order relation
D. compatibility relation

ANSWER: D
98. The set $X^{*} X$ itself defines a relation in $X$ is called a $\qquad$ relation.
A. void
B. universal
C. partial
D. equivalence

ANSWER: B
99. A self complemented distributive lattice is called $\qquad$ .
A. boolean algebra
B. modular lattice
C. complete lattice
D. self dual lattice

ANSWER: A
100. Every finite subset of a lattice has $\qquad$ .
A. a Least Upper Bound and Greatest Lower Bound
B. many Least Upper Bounds and a Greatest Lower Bound
C. many Least Upper Bounds and many Greatest Lower Bounds
D. either some Least Upper Bounds or some Greatest Lower Bounds

ANSWER: A
101. If the lattice ( C , less than or equal to) is complemented chain then $\qquad$ .
A. $\mid$ C $\mid$ less than or equal to 1
B. $|\mathrm{C}|$ less than or equal to 2
C. $|\mathrm{C}|$ greater than 1
D. C doesn't exist

ANSWER: B
102. A formula consisting of conjunctions of max-terms is called $\qquad$ .
A. DNF
B. CNF
C. PCNF
D. PDNF

ANSWER: C
103. The set of all divisors of 24 are $\qquad$ .
A. $\{1,2,3,4,6,8,12,24\}$
B. $\{2,3,4,6,8,12\}$
C. $\{1,3,6,12$, $\}$
D. $\{2,4,6,8\}$

ANSWER: A
104. Which of the following is Absorption Law?
A. $a^{*} \mathrm{a}<=>\mathrm{a}$
B. $a+\left(a^{*} b\right)<=>a$
C. $\mathrm{a}^{*} \mathrm{~b}<=>\mathrm{a}^{*} \mathrm{a}$
D. $\left(\mathrm{a}^{*} \mathrm{~b}\right) * \mathrm{c}<=>\mathrm{a}^{*}\left(\mathrm{~b}^{*} \mathrm{c}\right)$

ANSWER: B
105. In a bounded lattice, an element $b$ belongs to $L$ is called a complement of an element a belongs to $L$ if
$\qquad$ .
A. $a^{*} b=0$
B. $a+b=1$
C. both a and b
D. none

ANSWER: C
106. If each non-empty subset of a lattice has a least upper bound and greatest lower bound then the lattice is called $\qquad$ _.
A. complete
B. associative
C. absorption
D. commutative

ANSWER: A
107. A $\qquad$ is a complemented distributive lattice.
A. boolean homomorphism
B. boolean algebra
C. boolean isomorphism
D. boolean function

ANSWER: D
108. Boolean expression except 0 expressed in an equivalent form is called $\qquad$ .
A. canonical
B. sum
C. product
D. standard

ANSWER: A
109. $\qquad$ relations are useful in solving certain minimization problems of switching theory.
A. Void
B. Universal
C. Compatibility
D. Equivalence

ANSWER: C
110. The number of elements in a square matrix of order n is $\qquad$ .
A. n power 3
B. n power 4
C. n power 5
D. n power 2

ANSWER: D
111. Every non-trivial tree has at least $\qquad$ vertices of degree one.
A. 1
B. 2
C. 3
D. 4

ANSWER: B
112. A $\qquad$ is an edge e such that $w(G-e)>w(G)$.
A. cut vertex of $G$
B. cut edge of G
C. ends of G
D. path of G

ANSWER: B
113. Every connected graph contains a $\qquad$ .
A. tree
B. sub tree
C. spanning tree
D. spanning subtree

ANSWER: C
114. A minimal non-empty edge cut of G is called a $\qquad$ .
A. bond
B. cycle
C. path
D. tour

ANSWER: A
115. A connected graph that has no cut vertices is called a $\qquad$ .
A. block
B. bond
C. cycle
D. tour

ANSWER: A
116. Every block with at least three vertices are $\qquad$ connected.
A. 1
B. 2
C. 3
D. 4

ANSWER: B
117. A graph is Eulerian if it contains $\qquad$ .
A. Euler tour
B. Euler trail
C. Hamiltonian path
D. Euler path

ANSWER: A
118. Hamilton cycle is a cycle that contains every $\qquad$ of G.
A. path
B. cycle
C. vertex
D. edge

ANSWER: C
119. Collection of human beings with 4 heads, 2 legs and two hands is a $\qquad$ .
A. null set
B. finite set
C. infinite set
D. equal set

ANSWER: A
120. A set containing no element is called $\qquad$ .
A. null set
B. finite set
C. infinite set
D. equal set

ANSWER: A
121. $\mathrm{A}=\{1,3,5,7,9\}$ is a $\qquad$ .
A. null set
B. finite set
C. singleton set
D. infinite set

ANSWER: B
122. The number of Indians in the world is $\qquad$ .
A. finite set
B. universal set
C. infinite set
D. equal set

ANSWER: A
123. If in the truth table the answer column has the truth values both TRUE and FALSE then it is said to be
$\qquad$ _.
A. tautology
B. contradiction
C. contingency
D. equivalence relation

ANSWER: C
124. To prove the statement $P$ tautologically implies the statement $Q$, it is enough to prove that $\qquad$ .
A. $P$ conditional Q is a contradiction
B. P conditional Q is a tautology
C. P biconditional is a contradiction
D. P biconditional Q is a tautology

ANSWER: B
125. To prove the statement $P$ is tautologically equivalent to the statement $Q$, it is enough to prove that
$\qquad$ —.
A. $P$ conditional Q is a contradiction
B. P conditional Q is a tautology
C. P biconditional Q is a contradiction
D. P biconditional Q is a tautology

ANSWER: D
126. Let $\mathrm{R}=\{(1,2),(3,4),(2,6$.$\} and \mathrm{S}=\{(4,3),(2,5),(6,6)\}$ be a relation then R composite $\mathrm{S}=$ $\qquad$ .
A. $\{(1,5),(3,3),(2,6)\}$
B. $\{(1,5),(3,6),(2,5)\}$
C. $\{(4,4),(2,5),(3,3)\}$
D. $\{(1,1),(3,3),(2,2)\}$

ANSWER: A
127. The binary relation $R=\{(0,0),(1, a)\}$ on $A=\{0,1,2,3$,$\} is$ $\qquad$ .
A. reflexive, not symmetric, transitive
B. not reflexive, symmetric, transitive
C. reflexive, symmetric, not transitive
D. reflexive, not symmetric, not transitive

ANSWER: B
128. There are only five distinct Hasse diagrams for partially ordered sets that contain $\qquad$ elements.
A. 2
B. 3
C. 4
D. 6

ANSWER: B
129. The production $S$ tends to $a B$ is of the type $\qquad$ grammar.
A. 0
B. 1
C. 2
D. all the above

ANSWER: D
130. The production $S$ tends to $A$ is of the type $\qquad$ grammar.
A. 0
B. 1
C. 2
D. all the above

ANSWER: A
131. A regular grammar contain rules of the form is $\qquad$ .
A. A tends to AB
B. $A B$ tends to a
C. A tends to aB
D. $A B$ tends to $C D$

ANSWER: C
132. If an edge $e$ is said to join the vertices $u$ and $v$ then the vertices $u$ and $v$ are called $\qquad$ .
A. initial vertices
B. terminal vertices
C. ends of e
D. all the above

ANSWER: B
133. Edges intersect only at their ends are called $\qquad$ .
A. planar
B. loop
C. link
D. non plannar

ANSWER: A
134. Two vertices which are incident with the common edge are called $\qquad$ vertices.
A. distinct
B. directed
C. adjacent
D. loops

ANSWER: C
135. An edge with identical ends is called $\qquad$ .
A. complete graph
B. bipartite graph
C. loops
D. link

ANSWER: C
136. An edge with same ends is called $\qquad$ .
A. complete graph
B. bipartite graph
C. loops
D. link

ANSWER: D
137. In a graph if few edges have directions and few do not have directions then the graph is called
$\qquad$
A. multi graph
B. directed graph
C. undirected graph
D. mixed graph

ANSWER: D
138. If two edges have same vertices as its terminal vertices those edges are called $\qquad$ .
A. parallel
B. adjacent
C. incident
D. distinct

ANSWER: A
139. Each edge has one end in set $X$ and one end in set $Y$ then the graph $(X, Y)$ is called $\qquad$ graph.
A. bipartite
B. simple
C. complete
D. trivial

ANSWER: A
140. The graph defined by the vertices and edges of a $\qquad$ is bipartite.
A. square
B. cube
C. single
D. both square and cube

ANSWER: B
141. To any graph $G$ there corresponds a vertex in a matrix called $\qquad$ matrix.
A. incidence
B. adjacency
C. square
D. null

ANSWER: A
142. If H is a sub graph of G then G is a $\qquad$ of H .
A. proper sub grapth
B. inducted sub graph
C. spanning subgraph
D. super graph

ANSWER: D
143. If the graph G1 and G2 has no vertex in common then it is said to be $\qquad$ .
A. disjoint
B. edge disjoint
C. union
D. intersection

ANSWER: A
144. The degree of vertex $v$ in $G$ is $\qquad$ .
A. number of edges of $G$ incident with $v$
B. number of loops in $G$
C. number of links in $G$
D. number of sub graph in $G$

ANSWER: A
145. If the edges of a walk W are distinct then W is called $\qquad$ .
A. path
B. trial
C. walk
D. tour

ANSWER: D
146. If the vertices of a walk W are distinct then W is called $\qquad$ .
A. path
B. trial
C. walk
D. tour

ANSWER: A
147. Each loop counting has $\qquad$ edges.
A. 1
B. 2
C. 3
D. 4

## ANSWER: B

148. The statements that we consider initially are simple statements called $\qquad$ statements.
A. molecular
B. compound
C. atomic
D. simple

ANSWER: C
149. The statements formed from atomic statements are called $\qquad$ statements.
A. molecular
B. compound
C. atomic
D. simple

ANSWER: A
150. The negation of the statement is formed by introducing $\qquad$ .
A. not
B. and
C. or
D. if

ANSWER: A

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