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Answer: a

Explanation: A non empty set A is called an algebraic structure w.r.t binary operation "\*" if (a\*b) belongs to S for all (a\*b) belongs to S. Therefore "\*" is closure operation on 'A'.

2. An algebraic structure \_\_\_\_\_ is called a semigroup.
a) (P, \*)
b) (Q, +, \*)
c) (P, +)
d) (+, \*)
View Answer

Answer: a

Explanation: An algebraic structure (P,\*) is called a semigroup if  $a^*(b^*c) = (a^*b)^*c$  for all a,b,c belongs to S or the elements follow associative property under "\*". (Matrix,\*) and (Set of integers,+) are examples of semigroup.

3. Condition for monoid is \_\_\_\_\_\_
a) (a+e)=a
b) (a\*e)=(a+e)
c) a=(a\*(a+e)
d) (a\*e)=(e\*a)=a
View Answer

Answer: d

Explanation: A Semigroup (S,\*) is defined as a monoid if there exists an element e in S such that (a\*e) = (e\*a) = a for all a in S. This element is called identity element of S w.r.t \*.

4. A monoid is called a group if \_\_\_\_\_\_
a) (a\*a)=a=(a+c)
b) (a\*c)=(a+c)
c) (a+c)=a
d) (a\*c)=(c\*a)=e
View Answer

Answer: d

Explanation: A monoid(B,\*) is called Group if to each element there exists an element c such that (a\*c)=(c\*a)=e. Here e is called an identity element and c is defined as the inverse of the corresponding element.

5. A group (M,\*) is said to be abelian if \_\_\_\_\_\_ a) (x+y)=(y+x)

b) (x\*y)=(y\*x) c) (x+y)=x d) (y\*x)=(x+y) View Answer

Answer: b

Explanation: A group (M,\*) is said to be abelian if (x\*y) = (x\*y) for all x, y belongs to M. Thus Commutative property should hold in a group.

6. Matrix multiplication is a/an \_\_\_\_ property.

a) Commutativeb) Associativec) Additived) DisjunctiveView Answer

Answer: b

Explanation: The set of two M\*M non-singular matrices form a group under matrix multiplication operation. Since matrix multiplication is itself associative, it holds associative property.

7. A cyclic group can be generated by a/an \_\_\_\_\_ element.
a) singular
b) non-singular
c) inverse
d) multiplicative
View Answer

Answer: a

Explanation: A singular element can generate a cyclic group. Every element of a cyclic group is a power of some specific element which is known as a generator 'g'.

8. How many properties can be held by a group?

a) 2 b) 3 c) 5 d) 4 View Answer

Answer: c

Explanation: A group holds five properties simultaneously – a)Closure b) associative c) Commutative d) Identity element e) Inverse element.

9. A cyclic group is always \_\_\_\_\_\_
a) abelian group
b) monoid
c) semigroup
d) subgroup
View Answer

Answer: a

Explanation: A cyclic group is always an abelian group but every abelian group is not a cyclic group. For instance, the rational numbers under addition is an abelian group but is not a cyclic one.

10. {1, i, -i, -1} is \_\_\_\_\_
a) semigroup
b) subgroup
c) cyclic group
d) abelian group
View Answer

Answer: c

Explanation: The set of complex numbers  $\{1, i, -i, -1\}$  under multiplication operation is a cyclic group. Two generators i and -i will covers all the elements of this group. Hence, it is a cyclic group.