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1. In ; for any node n , every descendant node's value in the left subtree of n is less than the value of n and every descendant node's value in the right subtree is greater than the value n .

- A) binary tree
- B) binary search tree**
- C) AVL tree
- D) binary heap tree

2. For finding a node in a, at each stage we ideally reduce the number of nodes we have to check by half.

- A) binary tree
- B) binary search tree**
- C) AVL tree
- D) binary heap tree

3. In the best case of BST, the time is on the order of, but in the worst case it requires linear time.

- A) $\log_2 n$**
- B) n
- C) $\log_2(n+1)$
- D) $n+1$

4. of binary search tree starts by visiting the current node, then its left child and then its right child.

- A) Preorder traversal**
- B) In-order traversal
- C) Linear traversal
- D) Post-order traversal

5. The order with which the nodes are inserted affects the running time of the search algorithm.

- A) AVL Tree
- B) Red-Black Tree
- C) Binary Search Tree**
- D) Binary Heap Tree

6. of binary search tree starts by visiting the current node's left child, then its right child and finally the current node itself.

- A) Preorder
- B) In-order
- C) Linear
- D) Post-order**

7. With an ideal balance, the running time for inserts, searches and deletes, even in the worst case is

- A) $\log_2 n$**
- B) n

- C) $\log_2(n+1)$
- D) $n+1$

8. In binary search tree, a exists if starting from some node n there exists a path that returns to n .

- A) cycle**
- B) node
- C) root
- D) subtree

9. In binary search tree, a rooted to node n is the tree formed by imaging node n was a root.

- A) cycle
- B) node
- C) root
- D) subtree**

10. is a binary search tree whose left subtree and right subtree differ in height by at most 1 unit and whose left and right subtrees are themselves AVL trees.

- A) Red-Black Tree
- B) AVL Tree**
- C) Binary Head Tree
- D) A-A Tree